Changes with the next revease

Since GoeGebra is preparing to release a new version it is worthwhile to look at the new version, 3.2, that should come out shortly. The menus are slightly modified.





#### New commands in the new version

### **Statistics**

\* Covariance <list1 of numbers>, <list2 of numbers>] Calculates the covariance using the elements of both lists \* Covariance <[ <list of points> ] Calculates the covariance using the x- and y-coordinates of the points \* InverseNormal[ <mean>, <standard deviation>, <number> ] Calculates the function inversephi(x) \* (standard deviation) + (mean) where inverse phi(x) is the inverse of the pdf for N(0,1)(pdf = probability density function, ie a non-negative function with area 1) \* Mean[ <list> ] Calculates the mean of the list elements \* MeanX[ <list of points> ] Mean of the x coordinates of the points in the list \* MeanY[ <list of points> ] Mean of the y coordinates of the points in the list \* Median [<list>] Determines the median of the list elements \* Mode[ <list>] Determines the mode(s) of the list elements Mode[{1,2,3,4}] returns {}  $Mode[\{1,1,1,2,3,4\}]$  returns  $\{1\}$ Mode[{1,1,2,2,3,3,4}] returns {1,2,3} \* Normal [<mean>, <standard deviation>, <number> ] Calculates the function (phi(x) - mean) / (standard deviation) where phi(x) is the pdf for N(0,1) (pdf = probability density function, ie a non-negative function with area 1) \* O1[<list>] Determines the lower quartile of the list elements \* Q3[ <list> ] Determines the upper quartile of the list elements Generates a random integer between min and max (inclusive) The numbers min and max need to be integers. Generates a random number from a binomial distribution \* RandomNormal[<mean>, <standard deviation>] Generates a random number from a normal distribution \* RandomPoisson[ <mean> ] Generates a random number from a poisson distribution \* SD[<list>] Calculates the standard deviation of list elements \* SigmaXX[ <list of numbers> ] \* SigmaXX[ <list of points> ]

Calculates the sum of squares (of list elements, or x coordinates of points) \* SigmaXY[ <list of x-coordinates> , <list of y-coordinates> ] \* SigmaXY[ <list of points> ] Calculates the sum of (the product of the x and y coordinates). For bivariate data, SigmaXY works out sum of (x coord times y coord) \* SigmaYY[ <list of points> ] Calculates the sum of squares of y coords For bivariate data, SigmaYY = sum of (y coord  $^2$ ) \* Sxx[ <list of numbers> , <list of numbers> ] Calculates the statistic sigma( $x^2$ ) - sigma(x) \* sigma(x)/n \* Sxx[ <list of points> ] Calculates the statistic sigma( $x^2$ ) - sigma(x) \* sigma(x)/n \* Sxy[ <list of numbers> , <list of numbers> ] Calculates the statistic sigma(xy) - sigma(x) \* sigma(y)/n \* Sxy[ <list of points> ] Calculates the statistic sigma(xy) - sigma(x) \* sigma(y)/n \* Syy[ <list of numbers>, <list of numbers>] Calculates the statistic sigma( $y^2$ ) - sigma(y) \* sigma(y)/n \* Syy[ <list of points> ] Calculates the statistic sigma( $y^2$ ) - sigma(y) \* sigma(y)/n\* Take[ <list>, <number m>, <number n> ] Returns a list containing the elements from positions m to n of the list. \* Variance <| ist> ] Calculates the variance of list elements

### **Working With Lists**

\* Append[ <list>, <object> ] Appends the object to the list e.g. Append[{1, 2, 3}, (5, 5)] gives you {1, 2, 3, (5, 5)} \* Append[ <object>, <list> ] Appends the list to the object e.g. Append[(5, 5), {1, 2, 3}] gives you {(5, 5), 1, 2, 3} \* CountIf <condition>, <list> ] Counts the number of elements in the list satisfying the condition e.g. CountIf  $x < 3, \{1, 2, 3, 4, 5\}$ ] e.g. CountIf x < 3, A1:A10] where A1:A10 is a range of cells in the spreadsheet \* First < list>, n ] Returns a list containing just the first n elements of the list. \* Insert[ <list 1>, <list 2>, <position> ] \* Intersection [ <list 1>, <list 2> ] Gives you all elements that are part of both lists \* Join[ <list 1>, <list 2>, ...] Joins the two (or more) lists (no re-ordering of elements, keeps all elements even if they are the same) e.g. Join[ {1,2,3}, {4,5,6}] \* Join[ <list of lists> ]

Joins the sub-lists into one longer list (no re-ordering of elements, keeps all elements even if they are the same) e.g. Join  $\{\{1,2,3\},\{4,5,6\},\{7,8,9\}\}$ \* KeepIf < condition >, < list > ] e.g. KeepIf[ x < 3, {1,2,3,4,1,5,6} ] returns {1,2,1} \* Last [ <list>, <number n>] Returns a list containing just the last n elements of the list. \* Product [ < list> ] Calculates the product of all list elements \* RemoveUndefined[ <list> ] Removes undefined objects from a list e.g. RemoveUndefined[Sequence[(-1)^i, i, -3, -1, 0.5]] \* Reverse [ < list> ] Reverses the order of a list \* Sort[ <list> ] Sorts a list of numbers, text objects or points (sorts points by x-coordinate) e.g. Sort[ $\{3, 2, 1\}$ ] e.g. Sort[{"pears", "apples", "figs"}] e.g. list1 = Sort[{A, B, C}] list2 = Sequence[Segment[Element[list1, i], Element[list1, i] + 1]], i, 1, Length[list1] - 1] \* Sum[ <list> ] Calculates the sum of all list elements Works for numbers, points & vectors, text and functions e.g. Sum[ $\{1,2,3\}$ ] gives you a = 6 e.g. Sum[ $\{x^2, x^3\}$ ] gives you  $f(x)=x^2 + x^3$ e.g. Sum[Sequence[i,i,1,100]] gives you a = 5050e.g. Sum[Sequence [1/(2 k - 1) sin((2 k - 1) x), k, 1, 20]]e.g. Sum[ $\{(1, 2), (2, 3)\}$ ] gives you point A = (3, 5) e.g. Sum[ $\{(1, 2), 3\}$ ] gives you point B = (4, 2) e.g. Sum[ {"a","b","c"} ] gives "abc" \* Sum[ <list>, <number n> ] Calculates the sum of the first n list elements Works for numbers, points & vectors, text and functions e.g.  $Sum[\{1, 2, 3, 4, 5, 6\}, 4]$  gives you 10 \* Union[ <list1>, <list2>] Joins lists and removes items that appear multiple times

# **Plotting Data**

\* BarChart[ <start>, <end>, <list of heights> ]
e.g. BarChart[10, 20, {1,2,3,4,5} ]
gives you a bar chart with five bars of specified height in the interval [10, 20]
\* BarChart[ <start>, <end>, <expression>, <variable>, <from>, <to> ]
\* BarChart[ <start>, <end>, <expression>, <variable>, <from>, <to>, <step> ]

e.g. p = 0.1

q = 0.9

n = 10

- BarChart[ -0.5, n + 0.5, BinomialCoefficient[n,k]\*p^k\*q^(n-k), k, 0, n ]
- \* BarChart[ <raw data>, <width> ]
- e.g. BarChart[ {1,1,1,2,2,2,2,2,3,3,3,5,5,5,5}, 1]
  - \* BarChart[ <data>, <frequencies>]

<data> must be a list where the numbers go up by a constant amount

- e.g. BarChart[ {10,11,12,13,14}, {5,8,12,0,1}]
- e.g. BarChart[{5, 6, 7, 8, 9}, {1, 0, 12, 43, 3}]
- e.g. BarChart[{0.3, 0.4, 0.5, 0.6}, {12, 33, 13, 4}]
  - \* BarChart[ <data>, <frequencies>, <width> ]

<data> must be a list where the numbers go up by a constant amount

- e.g. leaves gaps between bars: BarChart[ {10,11,12,13,14}, {5,8,12,0,1}, 0.5]
- e.g. line graph: BarChart[ {10,11,12,13,14}, {5,8,12,0,1}, 0]
- \* BoxPlot[ <yOffset>, <yScale>, <raw data> ] e.g. BoxPlot[0, 1, {2,2,3,4,5,5,6,7,7,8,8,8,9} ]
- \* BoxPlot[ <yOffset>, <yScale>, <start>, <Q1>, <median>, <Q3>, <end>]
- e.g. BoxPlot[0, 1, 2, 3, 4, 5, 6] \* Histogram[ <class boundaries>, <heights> ]
- e.g. Histogram[ {1,2,4,8}, {3,5,7} ]
- \* Histogram[ <class boundaries>, <raw data> ]
- e.g. Histogram[{1,1.5,2,4}, {1.0,1.1,1.1,1.2,1.7,1.7,1.8,2.2,2.5,4.0}]

### **Curve Fitting**

\* FitExp[ <list of points> ] Calculates the exponential regression curve \* FitLine < list of points ] Calculates the v on x regression line of the points. \* FitLineX[ <list of points> ] Calculates the x on y regression line of the points. \* FitLog[ <list of points> ] Calculates the logarithmic regression curve \* FitPoly[ <list of points>, <number n> ] Calculates the regression polynomial of degree n \* FitPow[ <list of points> ] Calculates the regression curve in the form a  $x^b$ . All points used need to be in the first quadrant of the coordinate system. \* PMCC[ <list of x-coordinates>, <list of y-coordinates>] \* PMCC[ <list of points> ] Product moment correlation coefficient

\* Delynomial cligt of points 1 (in 2.0, und

\* Polynomial[ <list of points> ] (in 3.0, undocumented) Interpolation polynomial of degree (n-1) through n points.

### **Number Theory**

\* BinomialCoefficient[ <Number n>, <Number r>]

Calculates the binomial coefficient "n choose r".

```
* GCD[ <number a>, <number b> ]
```

```
* GCD[ <list> ]
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Greatest common divisor

(UK\_English HCF Highest common factor)

\* LCM[ <number a>, <number b> ]

\* LCM[ <list> ]

Lowest common multiple (UK) of two numbers a and b or elements of the list Least common multiple (US)

## **Calculus and Pre-calculus**

\* Ellipse[ <point A>, <point B>, <point C> ] Draws an ellipse with foci A and B passing through C \* Expand[ <function> ] Multiplies out the brackets and simplifies e.g. Expand[(x+3)(x-4)] gives you  $f(x) = x^2 - x - 12$ e.g. Expand[  $x^3 + x^3$  ] gives  $f(x) = 2x^3$ \* Factor[ <polynomial> ] Factors the polynomial e.g. Factor[ $x^2+x-6$ ] gives you f(x) = (x-2)(x+3)\* Hyperbola[ <point A>, <point B>, <point C> ] Draws a hyperbola with foci A and B passing through C \* Simplify[ <function> ] e.g. Simplify[x + x + x] \* TrapezoidalSum[ <function>, <start>, <end>, <# steps> ] Works the same way as UpperSum[] and LowerSum[]

#### e.g. TrapezoidalSum[ x^2, 1, 2, 5]

### **Technical Controls**

```
* AxisStepX[]
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\* AxisStepY[]

Return the current step for the x-axis or y-axis respectively.

Together with the Corner[n] and Sequence[] commands, these allow you to create custom axes.

\* AxisStepX[]

\* AxisStepY[]

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Together with the Corner[n] and Sequence[] commands, these allow you to create custom axes.

\* TableText[ <list1>, <list2>, <list3>, ... ]

Creates a text that contains the table of list objects.

\* TableText[ <list1>, <list2>, <list3>, ..., <orientation>]

The optional text controls the orientation and alignment of the table.

Possible values: "vl", "vc", "vr", "v", "h", "hl", "hc", "hr"

v = vertical, i.e. lists are columns

h = horizontal, i.e. lists are rows

l = left aligned

r = right aligned

c = centered

Default is "vl"

e.g. TableText[ { x<sup>2</sup>, x<sup>3</sup>, x<sup>4</sup> } ] 1 column, left aligned

e.g. TableText[ Sequence[ i^2, i, 1, 10] ] 1 column, left aligned

e.g. TableText[{1,2,3,4}, {1,4,9,16}, "v"] 2 columns, left aligned

e.g. TableText[{1,2,3,4},{1,4,9,16},"h"] 2 rows, left aligned

e.g. TableText[{11.2,123.1,32423.9,"234.0"},"r"] 1 column right aligned

\* Text[ <object> ]

\* Text[ <object>, <substitute values for variables> ]

\* Text[ <object>, <point> ]

\* Text[ <object>, <point>, <substitute values for variables> ]

Returns the formula for the object as a text object, with or without variables substituted Point defines where the text will be drawn

e.g. a = 2

 $c = a^2$ 

Text[c] and Text[c, true] both return "4"

Text[c, false] returns "a^2"

Text["hello", (2,3)] draws the text at (2,3)