## Number of Divisors

Complete the following steps for each set of numbers.

1. Generate a prime factorization of each number.
2. List all the factors of the number.
3. Determine the number of factors.
4. Look for patterns and find a connection between the prime factored form of the number and its total number of factors.

| SET A |  |  |  |
| :---: | :---: | :---: | :---: |
| Number | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |
| 4 |  |  |  |
| 8 |  |  |  |
| 9 |  |  |  |
| 16 |  |  |  |
| 25 |  |  |  |
| 27 |  |  |  |
| 32 |  |  |  |
| 49 |  |  |  |
| 64 |  |  |  |
| 81 |  |  |  |
| 125 |  |  |  |
| 128 |  |  |  |

What connection is there between the prime-factored form of one of these numbers and its total \# of factors?

| SET B |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |  |
| 6 |  |  |  |  |
| 15 |  |  |  |  |
| 77 |  |  |  |  |
| List 1 more number that has this same \# of factors. |  |  |  |  |
|  |  |  |  |  |


| SET C |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |  |
| 12 |  |  |  |  |
| 45 |  |  |  |  |
| 50 |  |  |  |  |
| List 1 more number that has this same \# of factors. |  |  |  |  |
|  |  |  |  |  |


| SET D |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |  |
| 24 |  |  |  |  |
| 40 |  |  |  |  |
| 54 |  |  |  |  |
| List 1 more number that has this same \# of factors. |  |  |  |  |
|  |  |  |  |  |

What connection is there between the prime-factored form of one of these numbers and its total \# of factors?

| SET E |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |  |
| 72 |  |  |  |  |
| 108 |  |  |  |  |
| 200 |  |  |  |  |
| List 1 more number that has this same \# of factors. |  |  |  |  |
|  |  |  |  |  |


| SET F |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |  |
| 36 |  |  |  |  |
| 100 |  |  |  |  |
| 225 |  |  |  |  |
| List 1 more numbers that has this same \# of factors. |  |  |  |  |
|  |  |  |  |  |


| SET G |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |  |
| 144 |  |  |  |  |
| 324 |  |  |  |  |
| List 1 more number that has this same \# of factors. |  |  |  |  |
|  |  |  |  |  |

What connection is there between the prime-factored form of one of these numbers and its total \# of factors?

| SET H |  |  |  |
| :---: | :---: | :---: | :---: |
| $\#$ | Prime <br> Factored Form | List of <br> All Factors | Number <br> Of Factors |
| 30 |  |  |  |
| 120 |  |  |  |
| 140 |  |  |  |
| 162 |  |  |  |
| 396 |  |  |  |

What connection is there between the prime-factored form of one of these numbers and its total \# of factors? State one rule that will work for all Sets A-H.
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